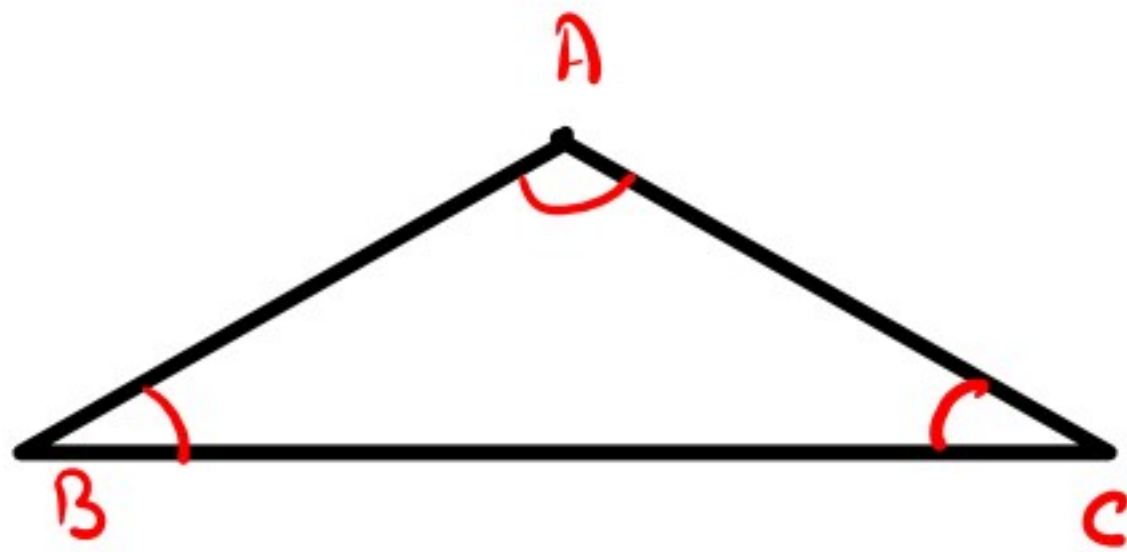


TRIANGLES

A triangle is a three sided closed figure.



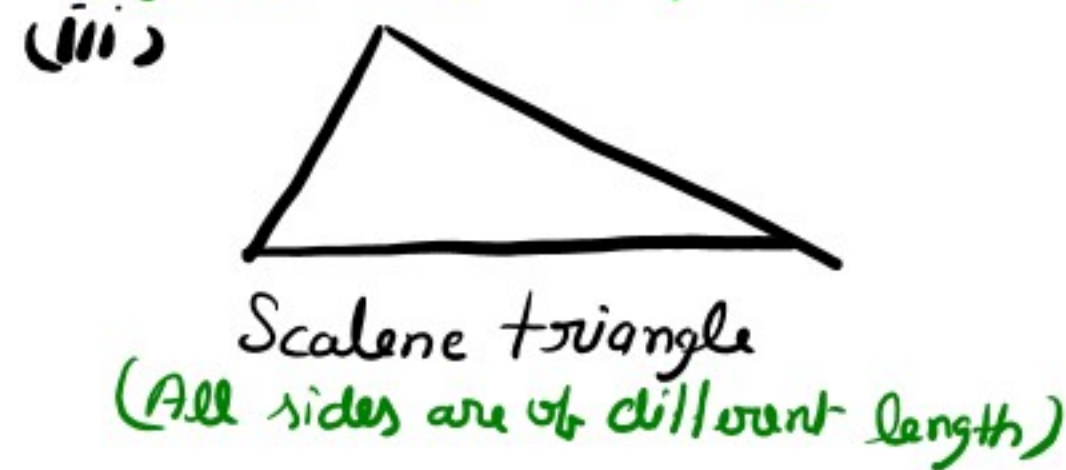
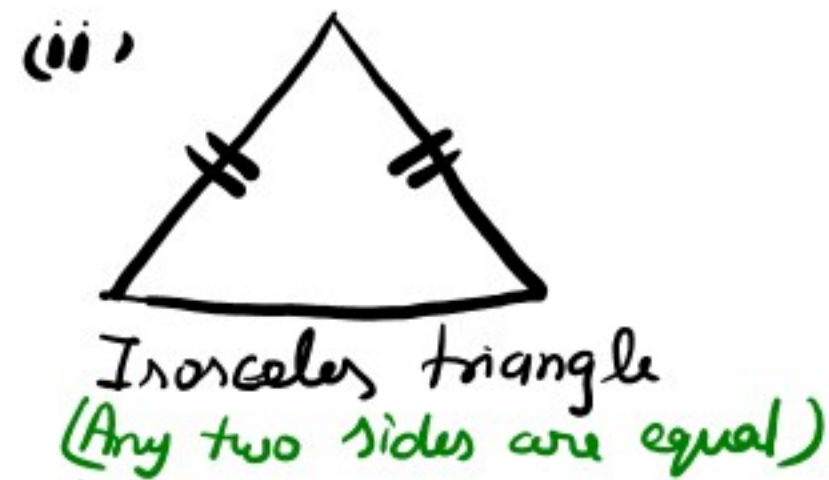
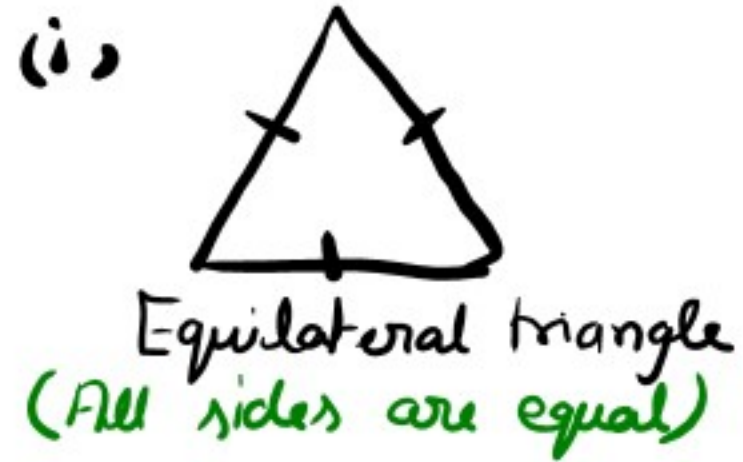
3 Sides - AB, BC and CA

3 Vertices - A, B and C

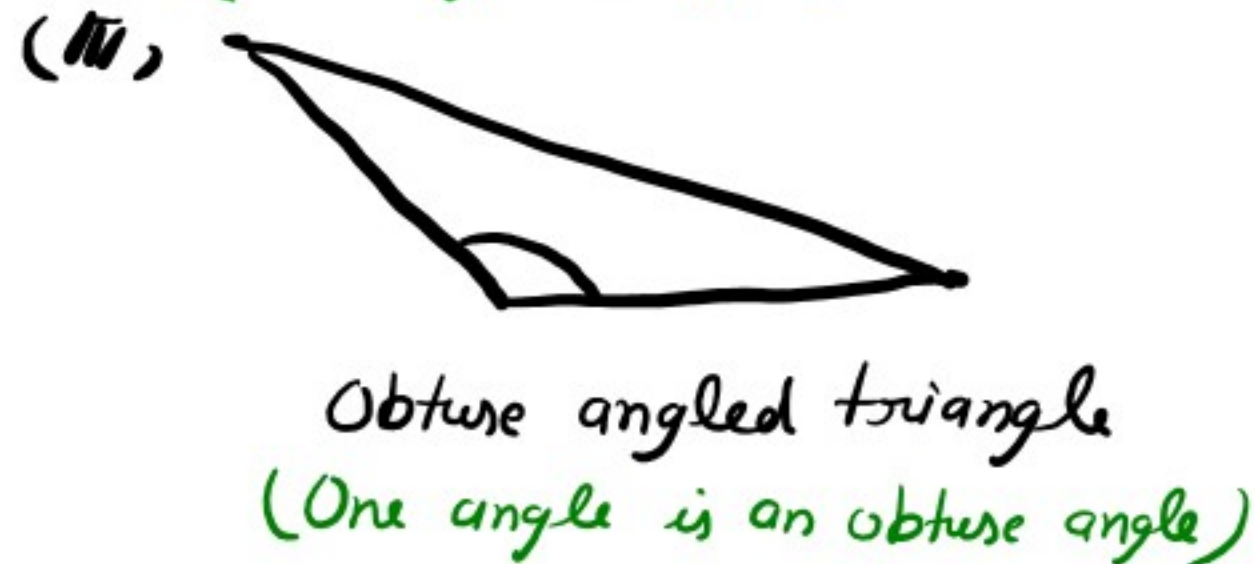
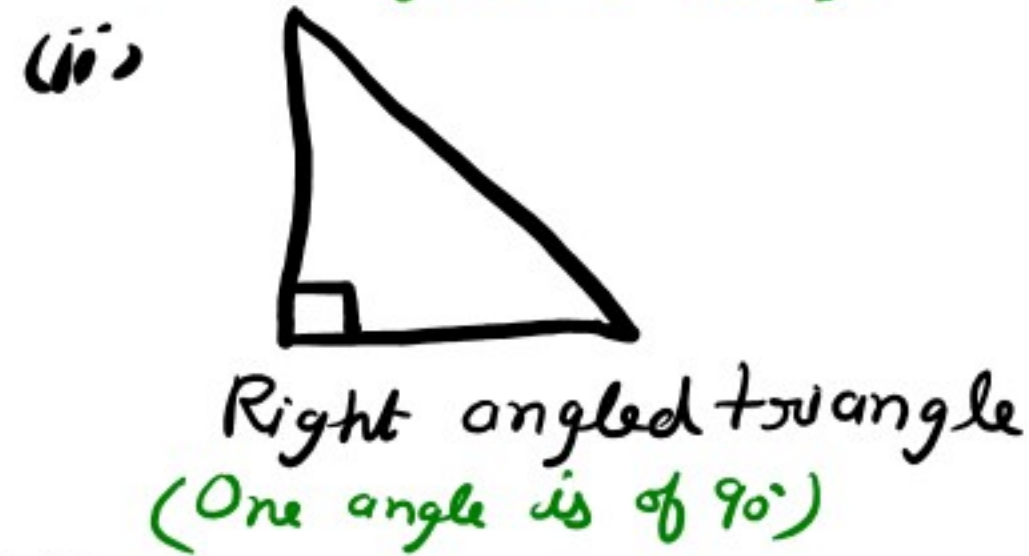
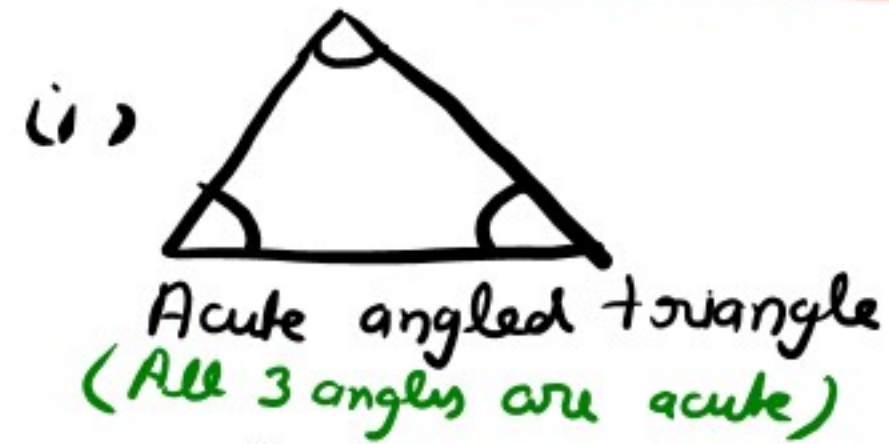
3 angles - $\angle ABC$, $\angle BCA$ and $\angle CAB$

Types of Triangles

Based on length of its sides

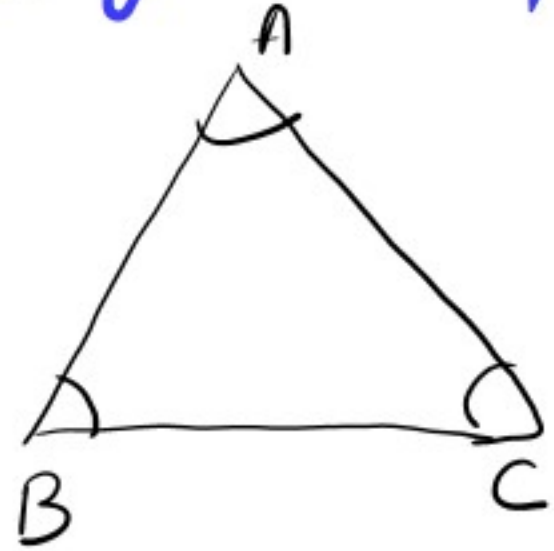


Based on measurement of its angles



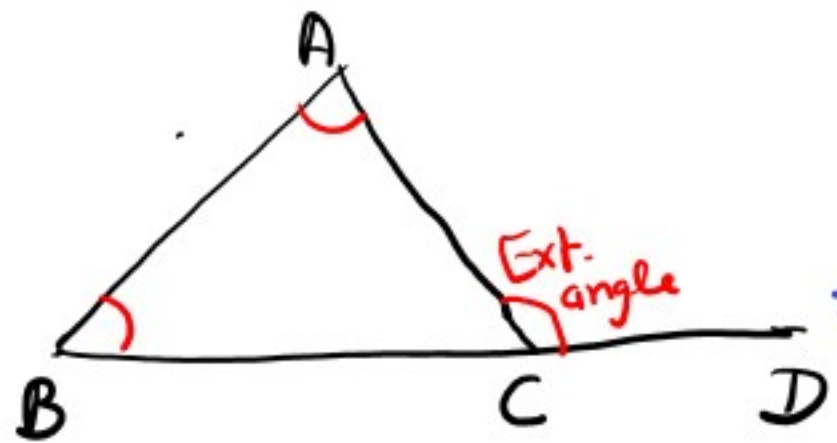
Properties of triangle -

- (i) **Angle sum property of a triangle** - The sum of interior angles of a triangle is 180° .



$$\angle ABC + \angle BCA + \angle CAB = 180^\circ$$

- (ii) **Exterior angle of a triangle and its property** -



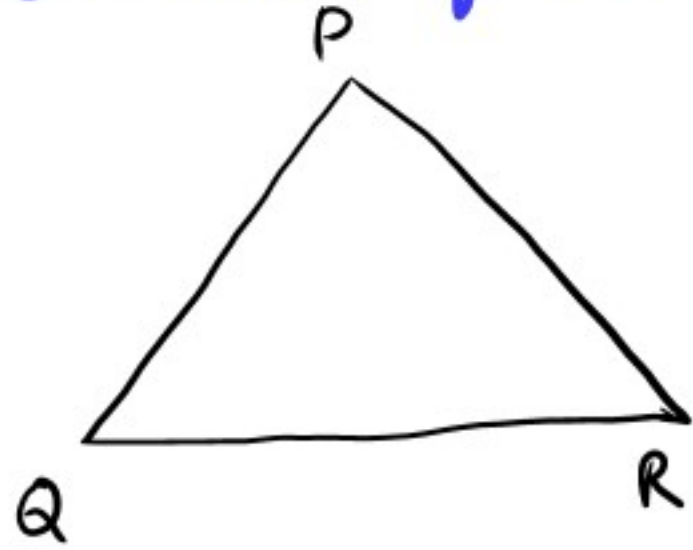
If we produce any side of a Δ then we'll get an exterior angle.

In fig: If BC produced to D then $\angle ACD$ obtained is called exterior angle.

★ Exterior angle property of a Δ states that, the measure of ext. angle is equal to sum of its opposite interior angles.

$$\text{i.e. } \boxed{\angle ACD = \angle ABC + \angle CAB}$$

(iii.) Sum of two sides of a triangle is always greater than the 3rd side.



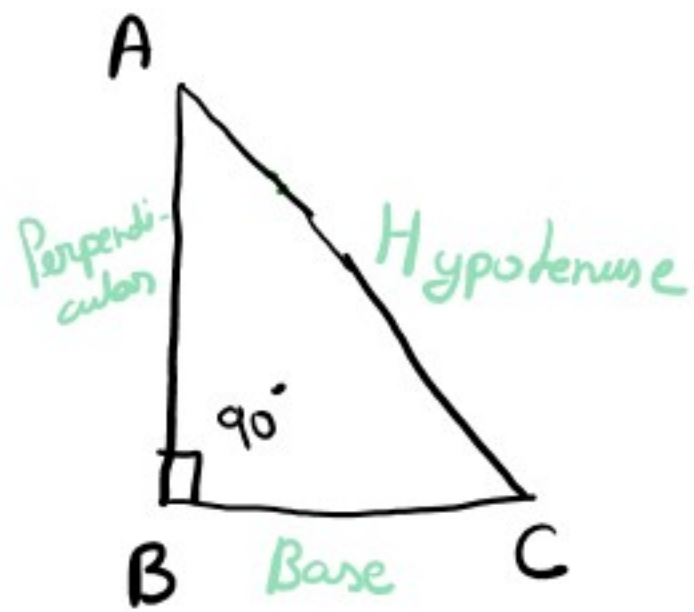
From fig, In $\triangle PQR$;

$$PQ + QR > PR$$

$$QR + PR > PQ$$

$$PR + PQ > QR$$

(iv.) Pythagoras Property of a Right angled triangle.



Pythagoras Property is also known as Pythagoras theorem, it states that.

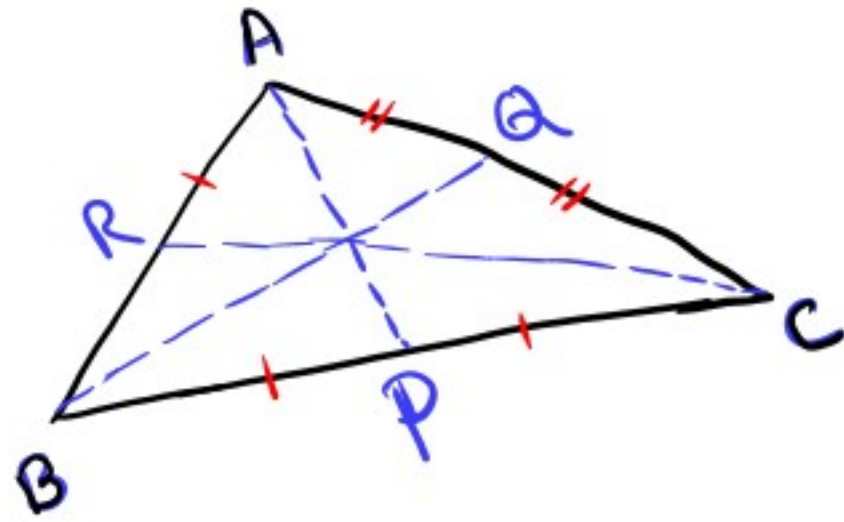
In a right angled \triangle , the sum of square of Base and perpendicular is equal to square of its hypotenuse.

$$\text{i.e. } (\text{Hypotenuse})^2 = (\text{Base})^2 + (\text{Perpendicular})^2$$

In rt. $\triangle ABC$; $AC^2 = AB^2 + BC^2$

Note:- The longest side or the side opposite to 90° is called the hypotenuse in a right angled \triangle .

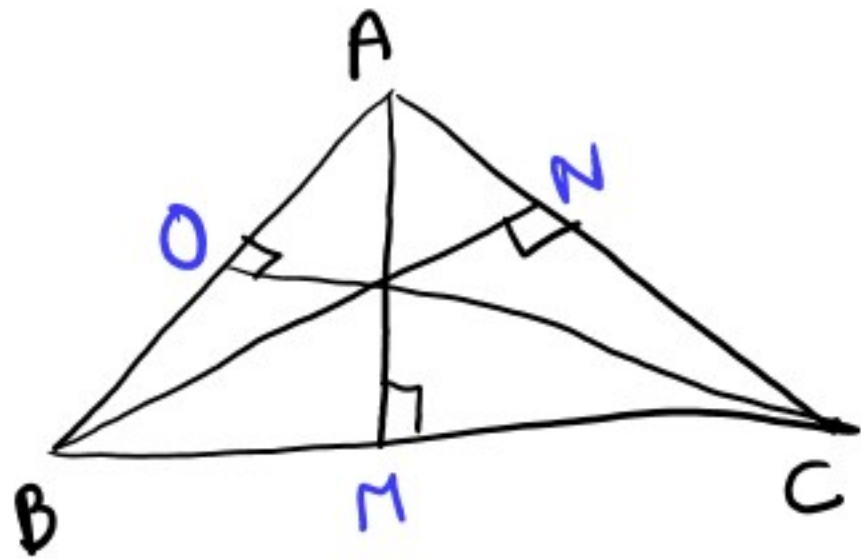
Median of a triangle - A line segment that joins the vertex of a triangle to the mid point of its opposite side, is called the median of a triangle.



From fig; $\triangle ABC$ has 3 medians, named as AP , BQ and CR

Note:- A triangle has 3 medians, which always lie inside the interior of that \triangle , and intersect at a point, which is called the centroid.

Altitude of a triangle - A perpendicular drawn from a vertex of a \triangle , to its opposite side is called, Altitude of a triangle.



In fig; $\triangle ABC$ has 3 altitudes i.e. AM , BN and CO .

Note:- A \triangle has 3 altitudes, which can be drawn from the three vertices of the \triangle . All the 3 altitudes intersect each at a point, which is called the orthocentre.

